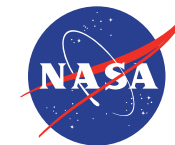




Frequency Comparisons via GPS Carrier-phase: Jump Processing, Temperature Compensation and Zero/Short-baseline Noise-floors

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Motivations and Challenges behind using GPS carrier-phase receivers for frequency transfer

- Motivations:
 - Operational environments: space, deep-space network, field-work
 - Long-term monitoring
- Challenges:
 - Piecing data together into continuous sets
 - Day boundary and batch boundary jumps
 - Receiver resets/Losing satellites (data gaps and jumps)
 - Sensitivity to temperature
 - Antennae and cabling (Not addressed here. We used high quality ones.)

Outline

- 5-Stage Processing Algorithm
- Measurements
 - Ideal environment: zero-baseline, common-LO, temperature stable
 - Temperature impact, calibration and compensation
 - Reproducibility and receiver comparison
 - Zero vs. short baseline
 - Long baseline implications
- Conclusions

Background/Definitions:

GIPSY, $x(t)$, $y(t)$, Single Receiver vs. Pair Data

- First we process with “GIPSY” [actually, GIPSY-OASIS: GPS-Inferred Positioning System and Orbit Analysis Simulation Software].
 - gives **offset/delay $x(t)$** between the receiver clock and either a remote or local reference clock
 - **$y(t)$ throughout talk is fractional frequency** (point by point derivative of $x(t)$)
- We present *mostly* receiver pair data, but first describe single receiver data.

Single Receiver Data: receiver-under-test’s delay, $x(t)$, relative to a reference clock/receiver

- How we calculate it:
 - use GIPSY in single receiver daily static Precise Point Positioning (PPP) mode
 - determine receiver’s position once a day (using the ionosphere-free pseudo-range and carrier-phase observables -- PC and LC)
 - use JPL’s GPS orbit and clock products (GPS satellite transmitter clocks determined relative to ground reference receiver)
 - reference clock chosen each day from list of clocks steered to UTC (usually a USNO receiver)
 - (All GIPSY users get the same reference clock.)

Background/Definitions:

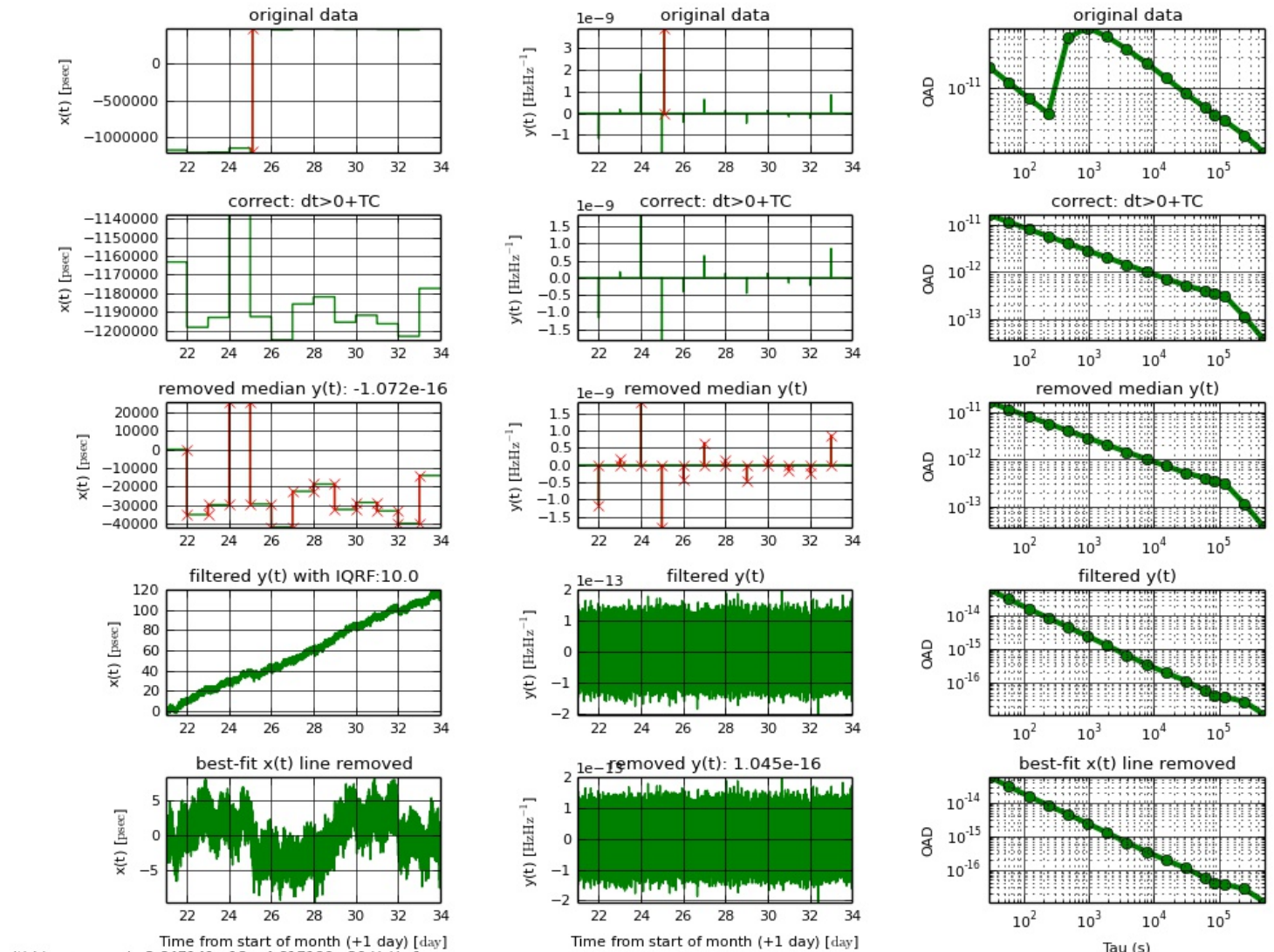
GIPSY, $x(t)$, $y(t)$, Single Receiver vs. Pair Data

Receiver Pair Data: relative delay $x(t)$ between two receivers under test (for zero/short-baseline)

- How we calculate it:
 - derive it directly from GIPSY by assigning one receiver to be the reference
 - fix GPS satellite orbits (from JPL's GPS orbit and clock products), but solve for 1) transmitter clocks and 2) ground-based receiver that is NOT the reference
- Removes common-mode troposphere and ionosphere delay along each transmitter-receiver line of sight (gets absorbed into the estimated transmitter clock).
- $x(t)$ may include fixed internal delays in the receivers-under-test (ok because we're using for relative frequency measurements)
- Can use a single carrier-phase frequency such as L1 instead of the LC/PC ionospheric-free combination (since the frequency-dependent ionospheric delay is accounted for in the estimated transmitter clocks). This further reduces noise.

5 Stage Processing Algorithm (all corrections are applied to $x(t)$)

1. Gather $x(t)$ data between START and STOP times.
2. Correct jumps associated with data gaps (use **median** $y(t)$).
3. Remove slope (use **median** $y(t)$); flag points for stage-4 $y(t)$ -filtering
4. Correct jumps at flags (base decision on **iqr** which describes typical scatter)
5. Remove another slope (**linear best fit** $y(t)$ now)



Allan deviation calculations for data with gaps

- Problem:
 - Allan deviation expects $x(t)$ data equally spaced in time. Data gaps violate this.
- Solution:
 - Pad $x(t)$ data with “bookkeeping” data in gaps to get back equally spaced $x(t)$ data, solely as a placeholder for Allan deviation calculation. (Never used in rest of algorithm.)
- Details:
 - All $x(t-\tau)+x(t+\tau) - 2*x(t)$ second difference terms computed.
 - Some have real data, some placeholder.
 - Only those with real data are summed to calculate the Allan deviation.
- End result for Allan deviation:
 - represents true noise character during the times that we have data
 - does not reflect all events that happened during the timespan (because no information available during data gaps)

Measurements: Receivers Tested

Receiver Label	RECEIVER TYPE/MODEL	Location
JPLT	Ashtech Z12T	JPL FSTL
EM	DSAC Engineering Model	JPL (varied)
FM	DSAC Flight Model	JPL (varied)

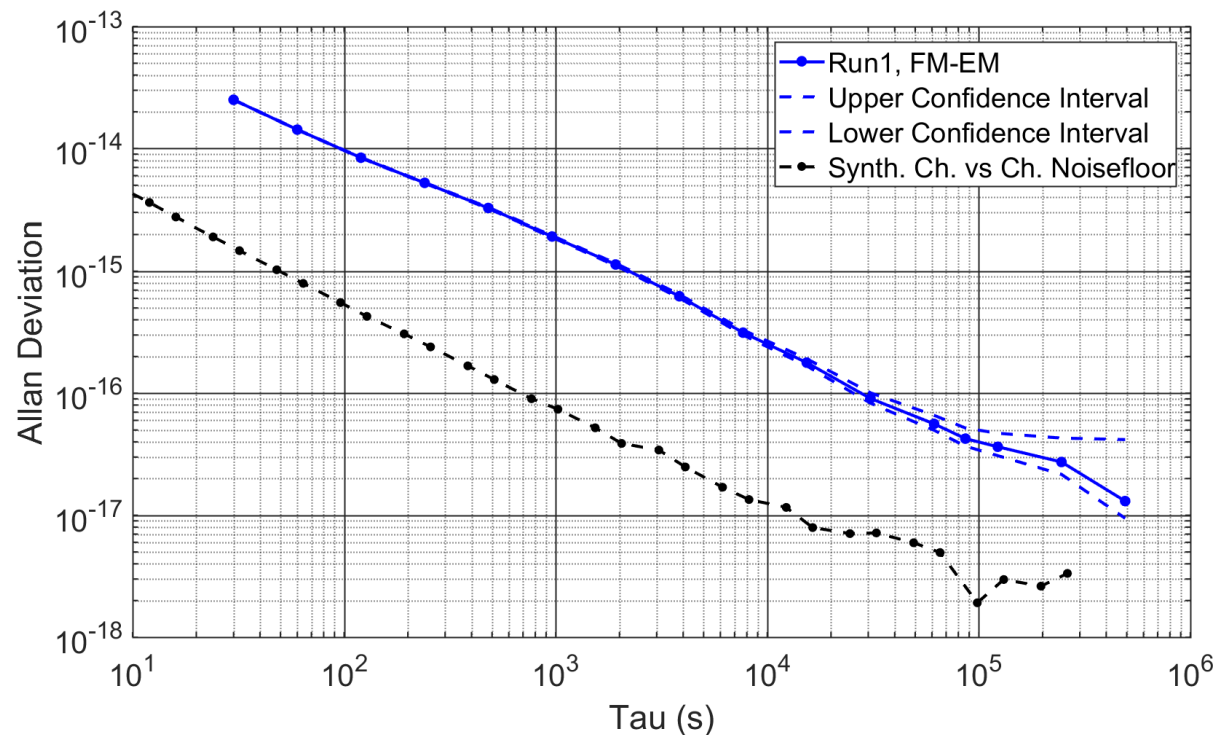
- EM and FM built for DSAC

(Deep Space Atomic Clock).



- moved between different buildings at JPL during DSAC ground testing
 - on a thermally controlled plate when needed
- JPLT remained in our thermally controlled laboratory (Frequency Standards Test Lab -- FSTL).
- Measurements shown are noise floors taken before, in between, or after DSAC clock characterization campaigns.

Ideal-environment noise-floor: zero-baseline, common LO, common antenna

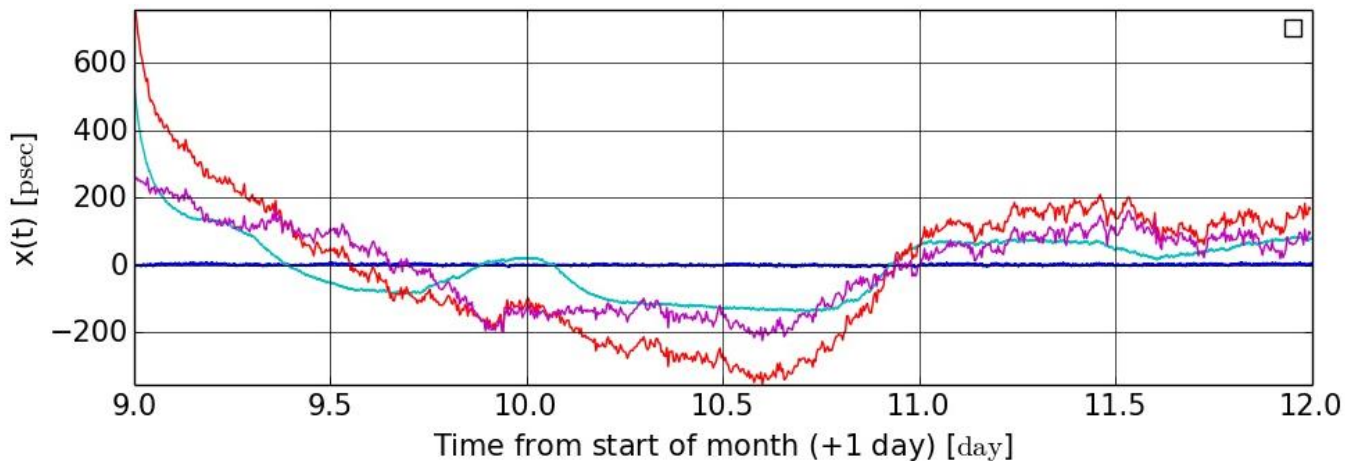


- FM-EM comparison:
 - Both in thermally controlled FSTL
- LO:
 - H-maser feeding 20.456 MHz (4-channel) synthesizer. One channel went to each receiver.

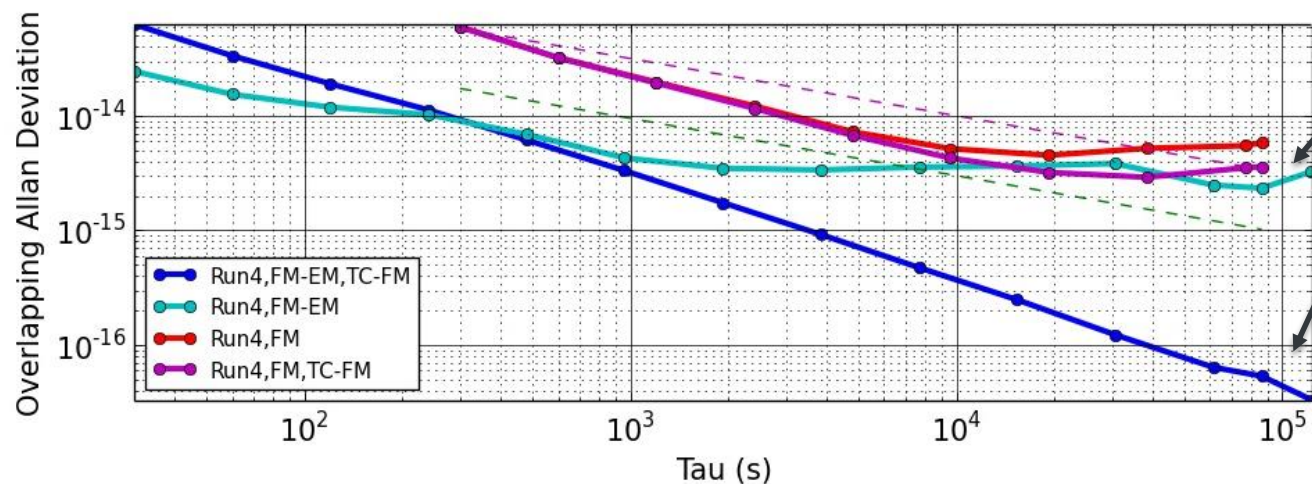
Allan Deviation:

- Below 10^{-16} at a day
- Down to 1×10^{-17} at 5×10^5 s, with 4×10^{-17} upper confidence interval (1-sigma; assumes white noise).

Temperature Impact and Compensation



- FM-EM zero-baseline noise-floor again:
 - Both in Bldg 1 at JPL.
 - EM on thermal plate.
 - FM had thermal changes from warmup as well as room temperature, 5C in this case.

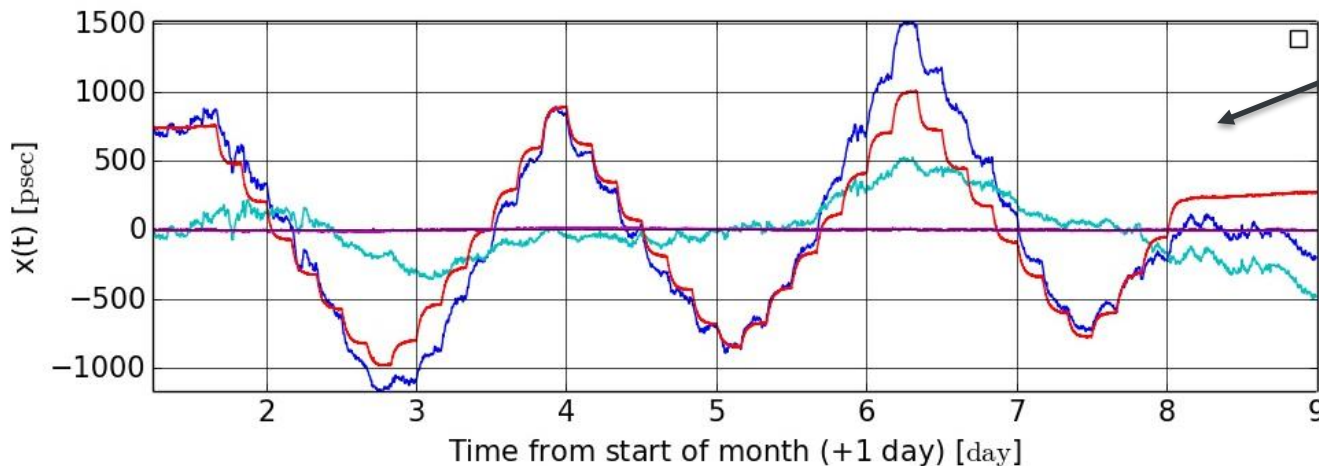


FM-EM, no temperature compensation

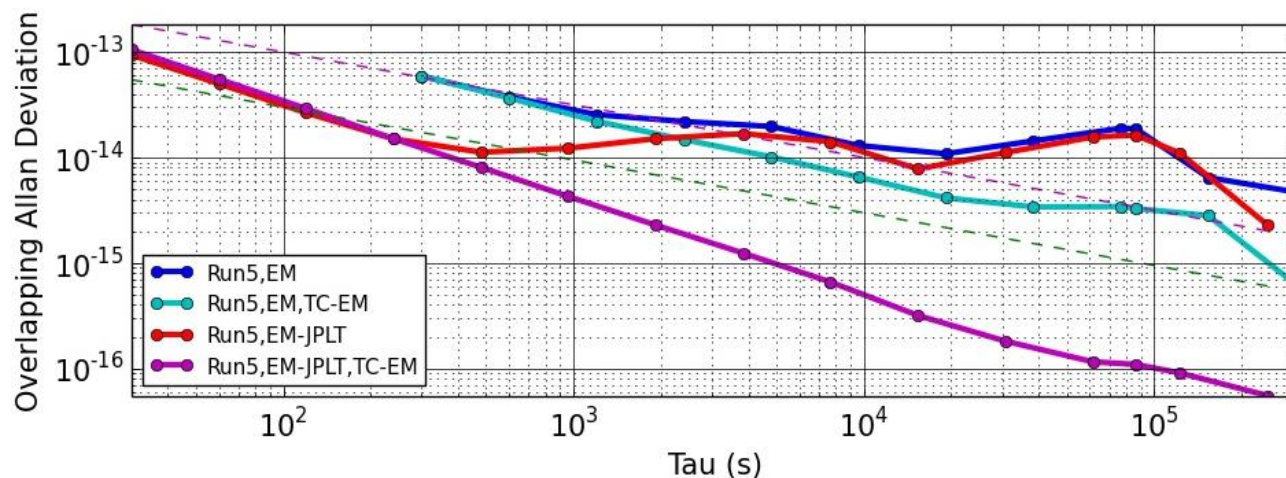
FM-EM, yes temperature compensation

Temp. correction brings Allan deviation down to expected level. (Small impact seen on single receiver data as well.)

Temperature Calibration and Compensation

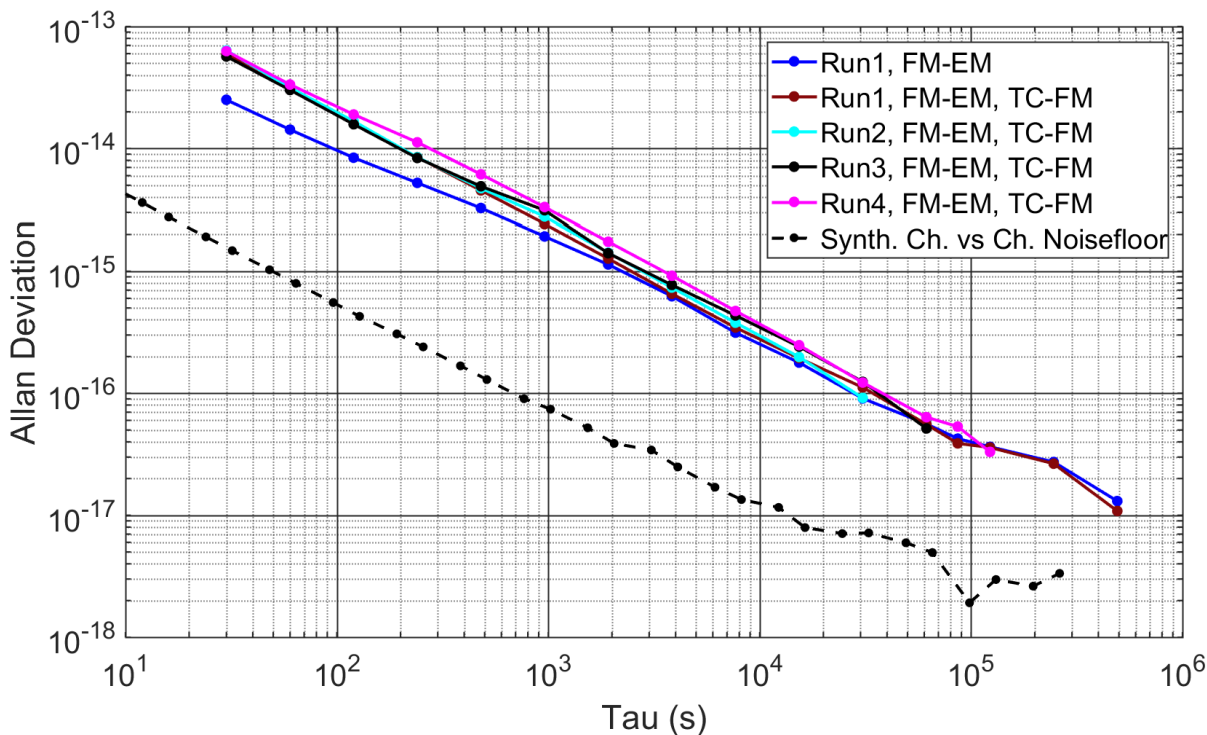


- Example Temp. Calibration (EM):
 - 45°C changes over several days
 - Measure receiver temperature (T) internally
 - Fit $x(t)$ to a quartic polynomial in $T(t)$.
 - Coefficients become the calibration coefficients



- Stability of Coefficients:
 - 2 FM calibration runs, 1 year apart, gave similar coefficients.
- Temperature Compensation: determine temperature-dependent delay at every epoch; subtract this from the originally determined $x(t)$

Reproducibility: FM-EM Noise Floors

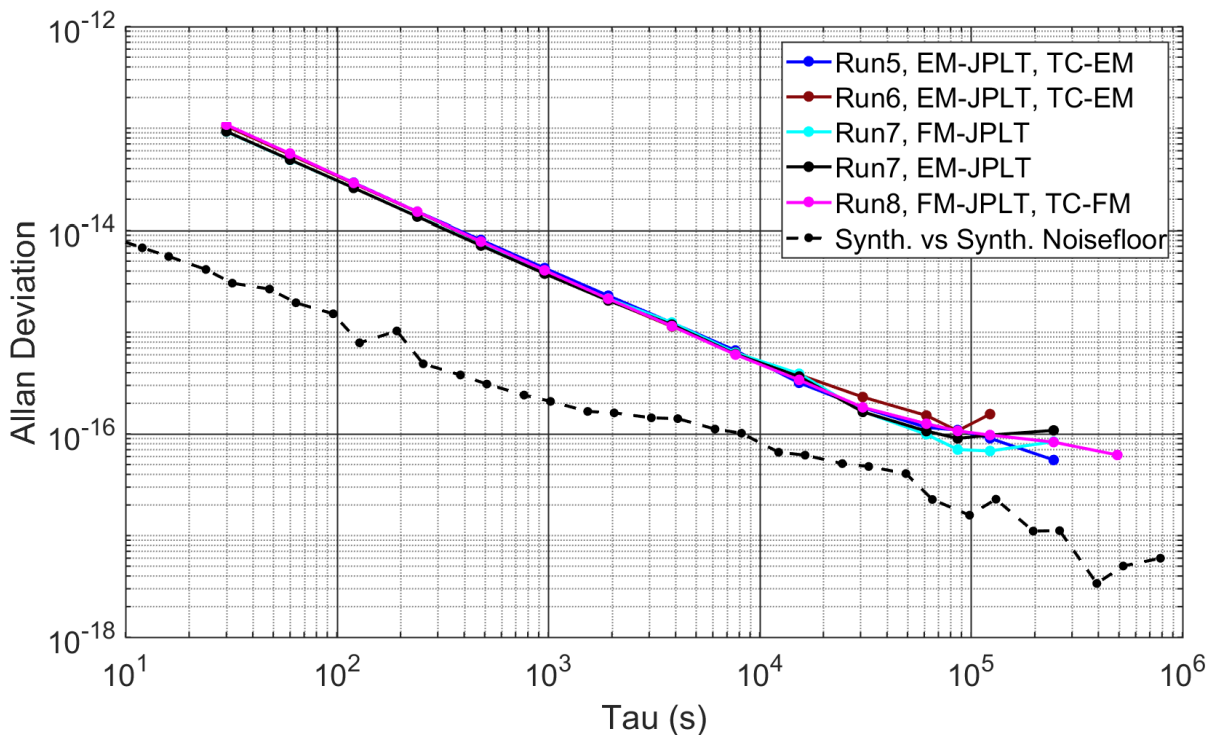


Dataset	DATE RANGE (GPS TIME)	EM/FM Location
Run1	12/21/2016 00:00 - 01/02/2017 23:59	FSTL
Run2	11/08/2015 00:00 - 11/08/2015 23:59	Bldg. 2, JPL
Run3	11/14/2015 00:00 - 11/15/2015 23:59	Bldg. 2, JPL
Run4	01/09/2015 00:00 - 01/11/2015 23:59	Bldg. 1, JPL

- Co-located receivers
- Different setups in different buildings, over 2 years, with and without temp. compensation.

Gives a feel for the reproducibility, and validates jump/temp. correction.

Reproducibility: FM-JPLT (and EM-JPLT) Noise Floors

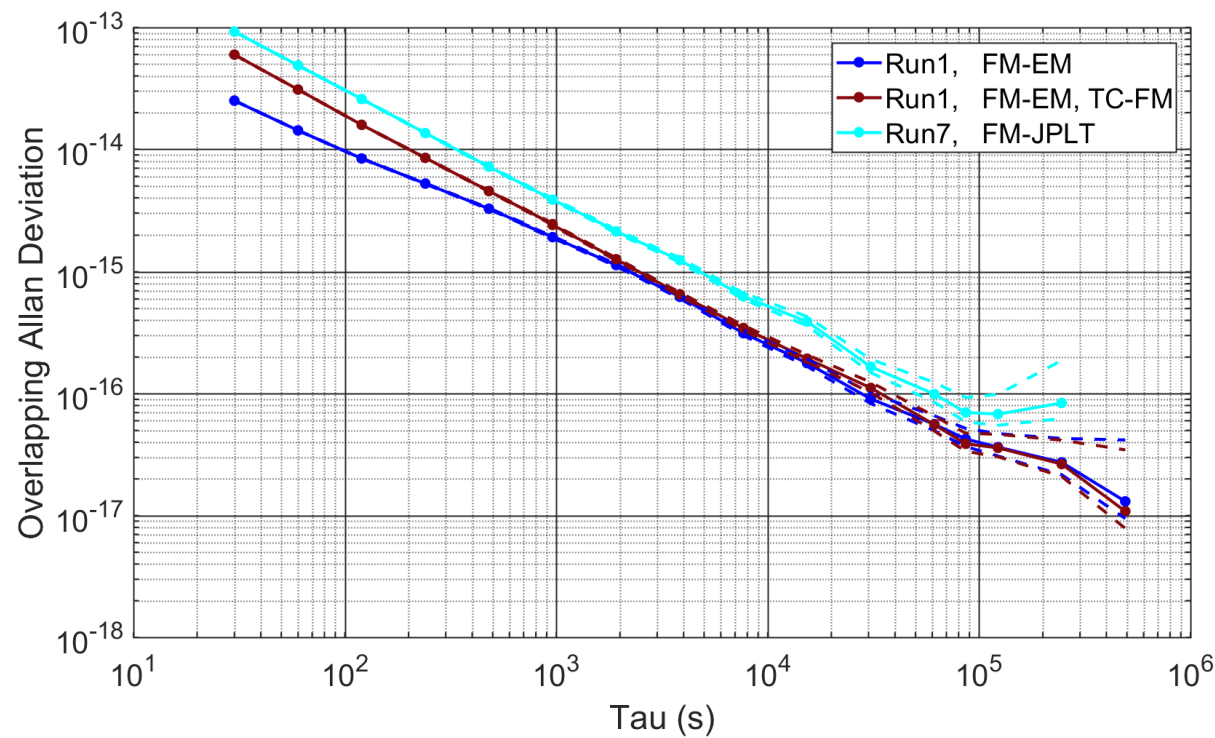


Dataset	DATE RANGE (GPS TIME)	EM/FM Location
Run5	03/01/2017 05:50 - 03/08/2017 23:59	FSTL (EM in thermal chamber)
Run6	12/20/2014 02:00 - 12/22/2014 22:00	FSTL
Run7*	12/21/2016 00:00 - 12/28/2016 23:59	FSTL
Run8	11/23/2016 00:00 - 12/13/2016 23:59	FSTL

- Co-located receivers in FSTL.
- Different setups, over 2+ years, with/without temp. compensation.

Same validation as FM-EM data, plus:
FM-JPLT results agree with EM-JPLT.

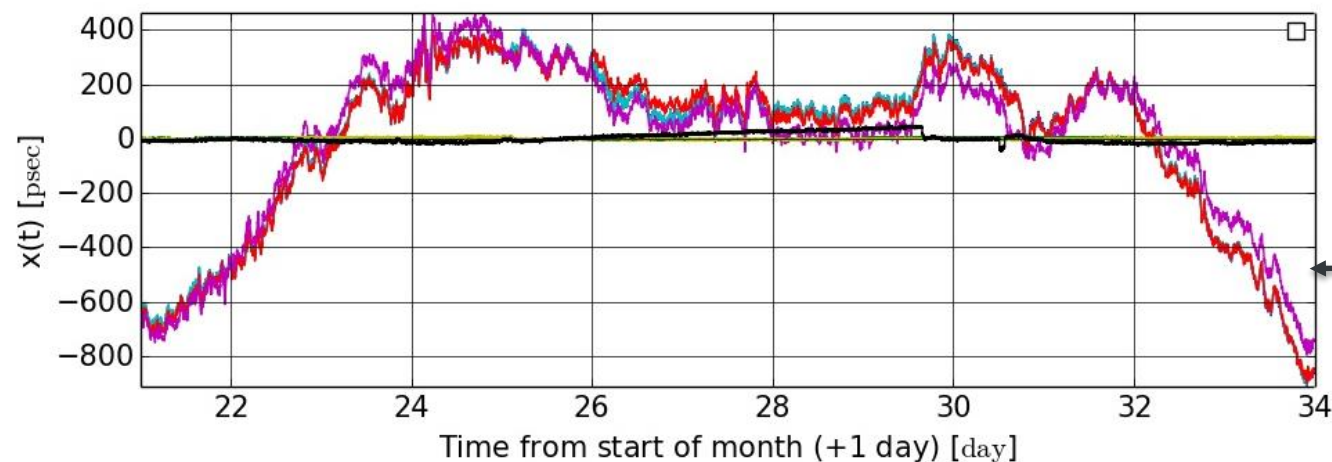
Comparison of Receiver Pair Noise Floors



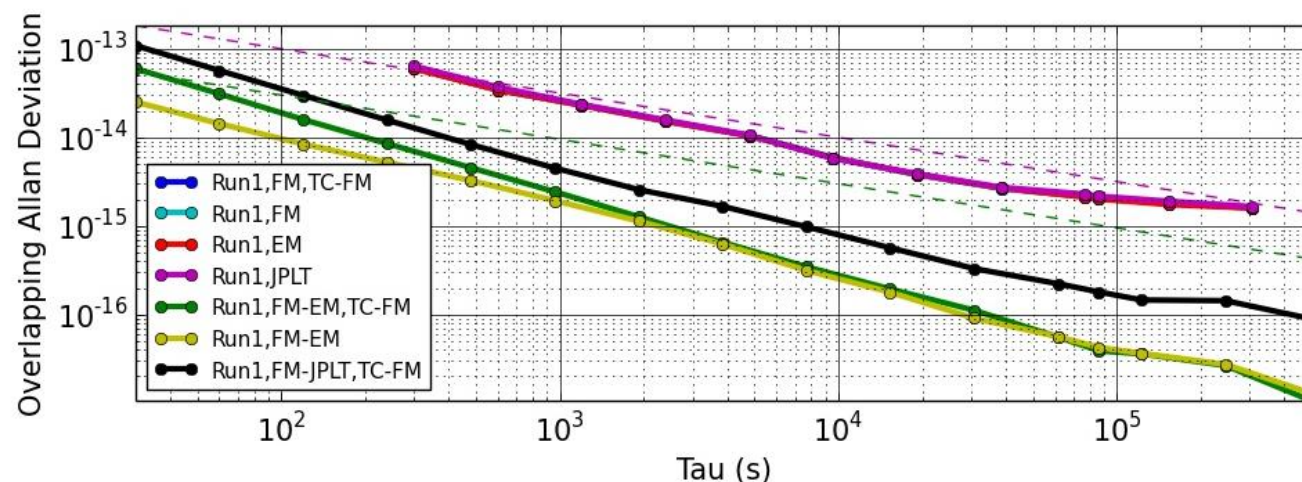
- FM-EM slightly better than FM-JPLT (EM-JPLT)

FM and EM have slightly better measurement noise than JPLT

Run1 Data: FM-EM, FM-JPLT, Single Receiver (Just EM or FM)



Single Receiver has GPS time transfer noise

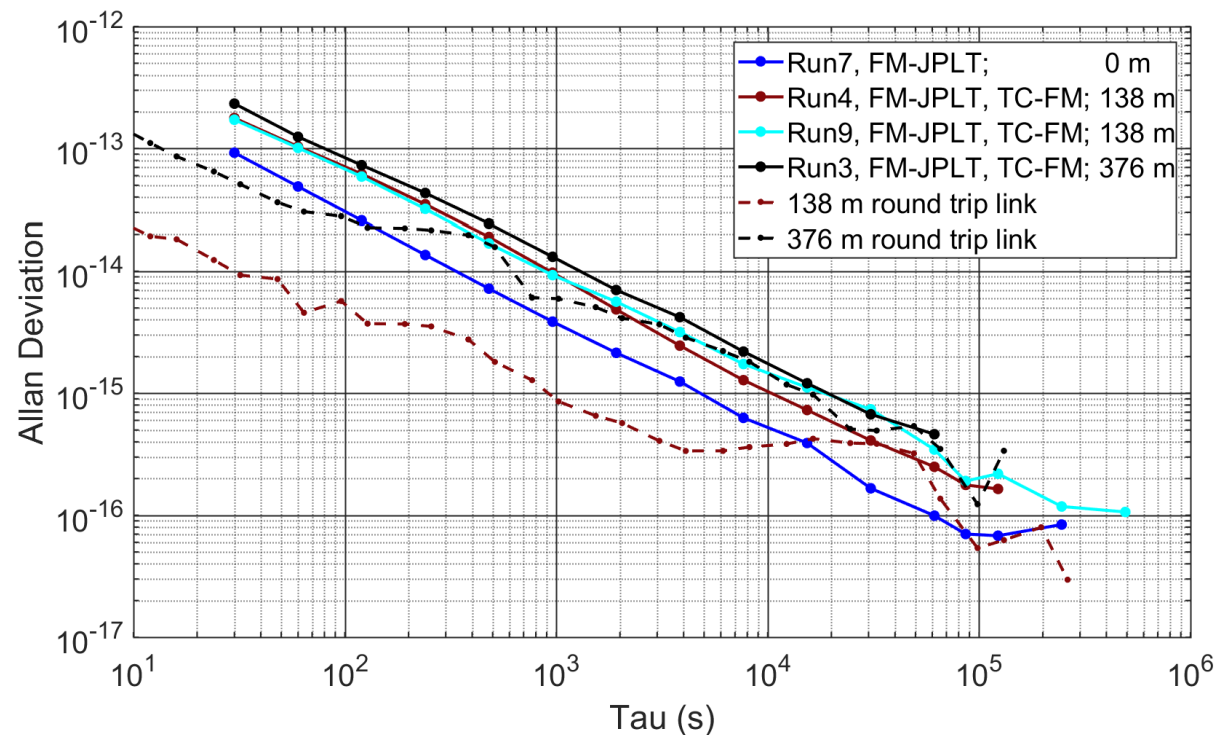


Single Receiver

FM-JPLT a bit worse than other FM-JPLT curves due to glitch visible above

FM-EM

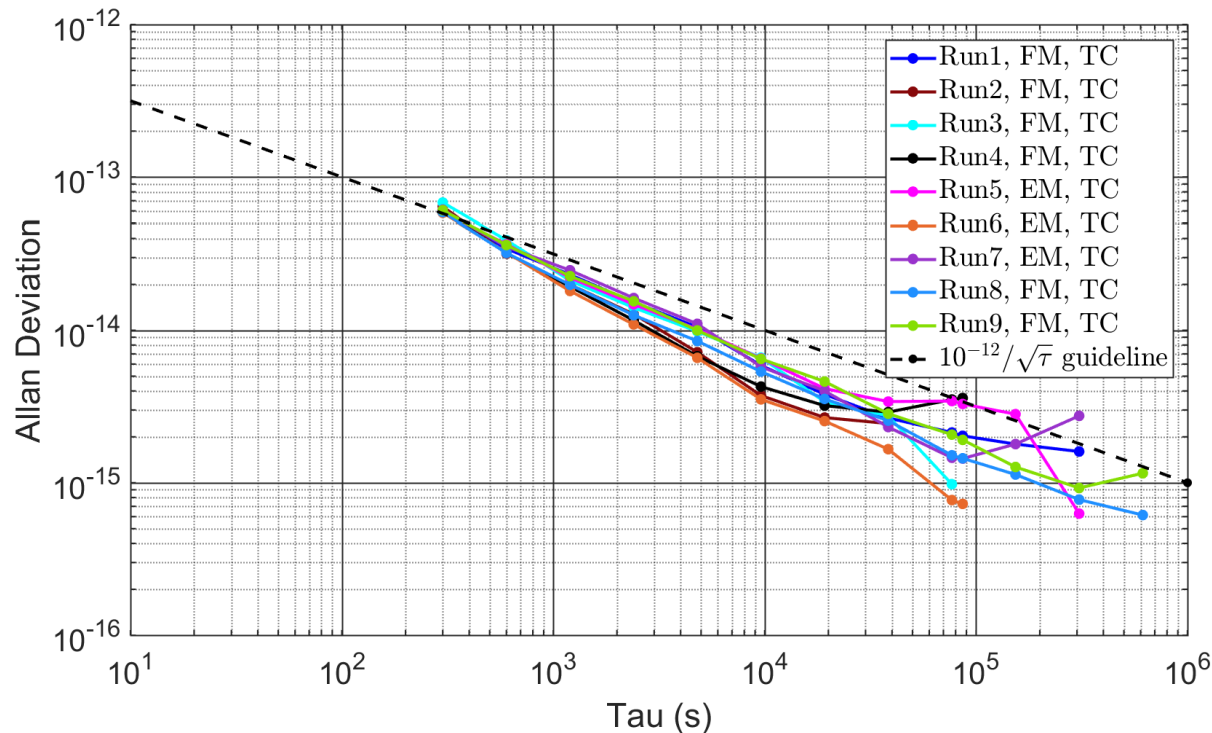
Short vs. Zero Baselines



- FM-JPLT short-baselines:
 - JPLT in FSTL
 - FM in another building (138m or 376m away).
 - H-maser was linked to these building via standard telecom fiber.
 - Link noise may be contributing to short baselines at some tau.

Short baselines a bit degraded from zero baselines, but still useful for clock comparisons in buildings that do not have stable references.

Single Receiver (Long Baseline) Allan Deviations

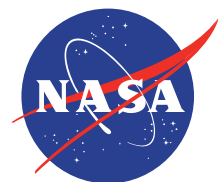


- Single receiver examples from all the runs shown.
 - with impact now from GPS time transfer and possibly from LO drift
- All fall below the $10^{-12}/\sqrt{\tau}$ guideline (at 1 day), which is what DSAC used for planning.

Direct validation (for DSAC) that the jump and temperature correction aren't leaving artifacts on single receiver data at the $10^{-12}/\sqrt{\tau}$ level.

Outline → Conclusion

- 5-Stage Processing Algorithm - explained
- Measurements
 - Ideal environment: zero-baseline, common-LO, temperature stable: 1×10^{-17} at 5×10^5 s (upper confidence interval = 4×10^{-17})
 - Temperature impact, calibration and compensation: shown & explained
 - Reproducibility and receiver comparison: overlaid curves validate algorithm and temperature correction to the level shown here; EM and FM flight receivers slightly better than Ashtech
 - Zero vs. short baseline: short baseline has slightly worse Allan deviation, but still useful for many clock comparison needs
 - Long baseline: algorithm validated for single receiver curves at the $10^{-12}/\sqrt{\tau}$ level, out to a day. (what was needed for DSAC)

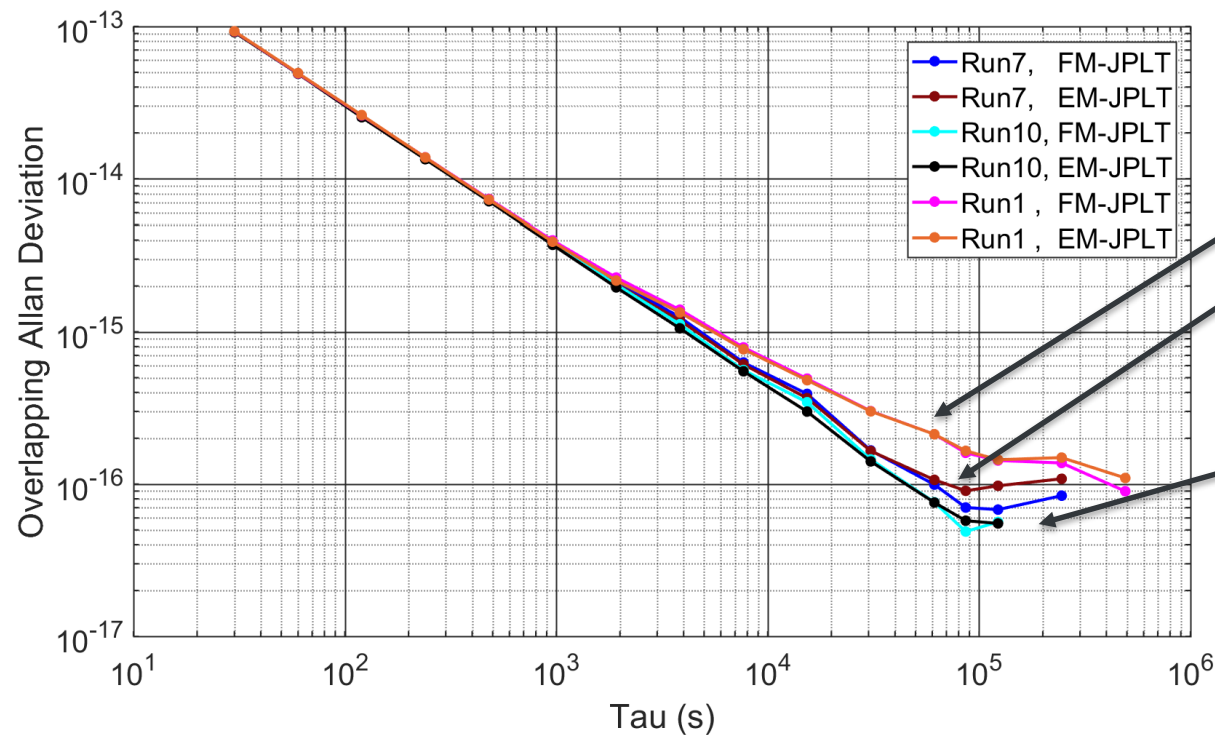


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Backup Slides

Allan deviations for Run1's FM-JPLT match others when shortening the time period to avoid the obvious glitches



Degraded curves due to the $x(t)$ glitch shown for Run1

Run7: baseline for the other FM-JPLT/EM-JPLT curves

4-day subset of Run1 chosen to eliminate all visible glitches

However, Run1's FM-EM curve matched other zero-baselines, even for this time periods with FM-JPLT/EM-JPLT glitches.